

Cite this as: Yan-xiang Yang, Bing-qian Tan, Chang-wen Liu, Ping Zhang, Qi-jiang Le, Ben-xi Zhang, 2019. A T3 metering theory used for diesel exhaust fluid dosing and failure diagnosis in selective catalyst reduction dosing systems. *Journal of Zhejiang University-SCIENCE A (Applied Physics & Engineering)*, 20(5):334-346.  
<https://doi.org/10.1631/jzus.A1800518>

## **A T3 metering theory used for diesel exhaust fluid dosing and failure diagnosis in selective catalyst reduction dosing systems**

### **Key words:**

DEF dosing unit, Plunger-sleeve pump, T3 metering theory, Sensor-free diagnosis

# To meet strict emission regulations, SCR is essential for diesel engines.



Fig. 1

Based on the mechanical structure and combustion organization method of existing diesel engines, with some after-treatment processes, such as EGR (exhaust gas recirculation) and SCR (selective catalytic reduction), the reduction of NO<sub>x</sub> emissions needed to meet the stricter regulations can be achieved (Grout et al., 2013).

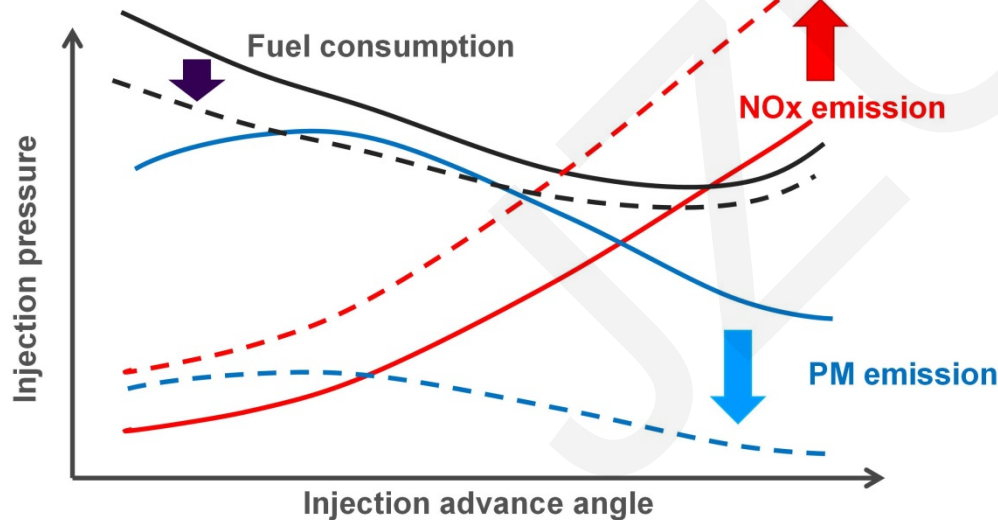


Fig. 2

Fig.2 For diesel engines, large decreases in particulate emissions and fuel consumption can be achieved by using the trade-off curve feature (Lambert et al., 2004; Norbert et al., 2011; Scarnegie et al., 2003; Cloudt et al., 2009), while increased NO<sub>x</sub> emissions can be eliminated with an SCR system.

# Dosing pumps for SCR

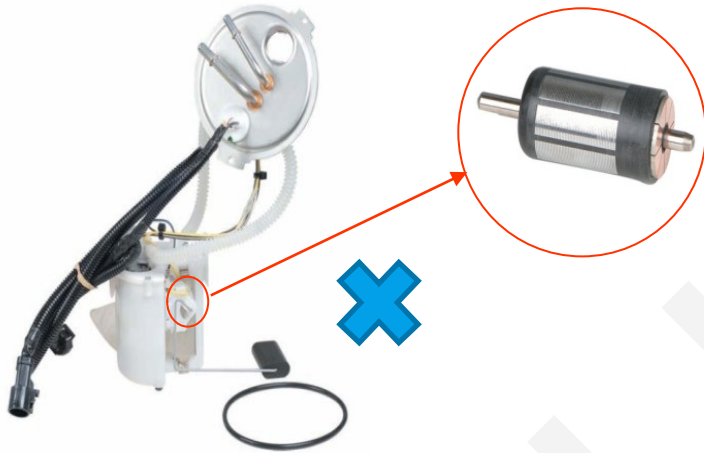


Fig.3 A typical CR pump

## ***Traditional Diaphragm pumps***

- Not small enough, with low integration.
- Hard to avoid the problematic freezing and clogging issues inside the supply tube.
- More expensive and less reliable.

## ***CR technology art***

SCR DEF is an electric conductive fluid, which can not be delivered with electric rotary pump based on CR technology art.



Fig. 4a Grundfos SCR pump- air-assisted



Fig. 4b Bosch denoxtronic 2.2 pump- airless

# Dosing pumps for SCR

## Plunger pump and Sleeve pump

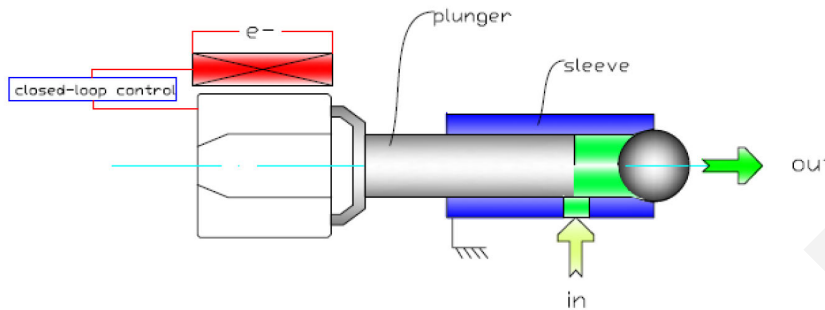


Fig.5 A type of plunger pump

## Sleeve pump

- An innovative design of a dosing unit called a sleeve pump, made by FAI in China.
- The liquid is delivered by a type of sleeve with a free armature rather than a plunger motion, and the armature is free of valve.

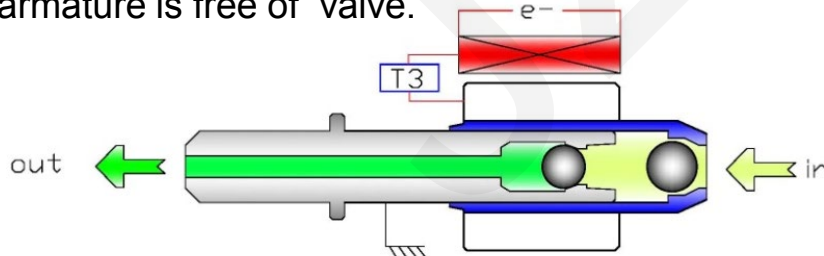


Fig.6 A type of sleeve pump

## Plunger pump

- A dosing unit designed for DEF by Delphi (Lee *et al.*, 2010; Needham *et al.*, 2012)
- It is a linear plunger pump driven by electromagnetic force from a solenoid coil. This type of plunger pump was invented by Ficht (Heimberg *et al.*, 1996).

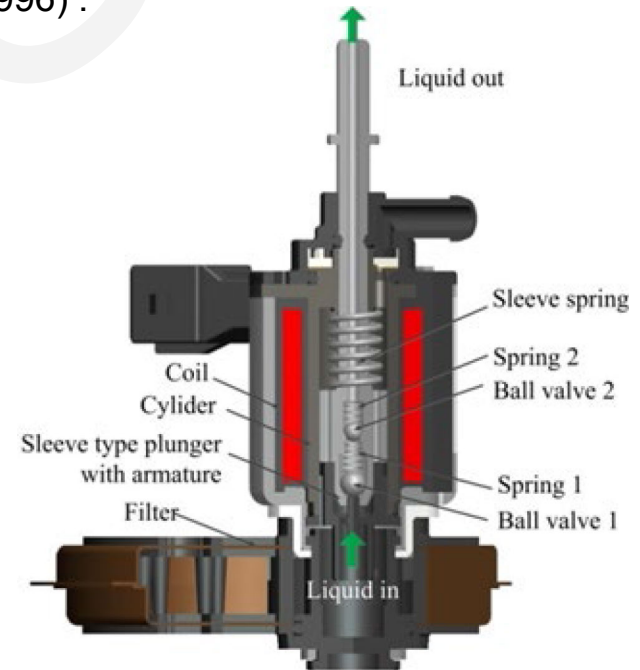


Fig.7 Detailed structure of the sleeve pump

# Physical and electrical models of the sleeve pump

## Focus on:

- 1) Current in the coil;
- 2) Displacement of the armature;
- 3) Voltage change.

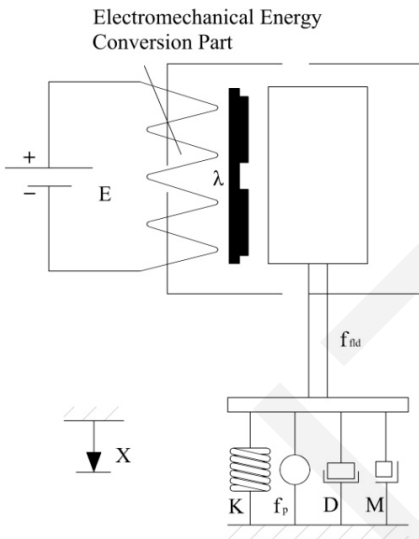


Fig.9 It is difficult in controlling the liquid delivery amount because output of the system is inherently subject to variation due to state changes

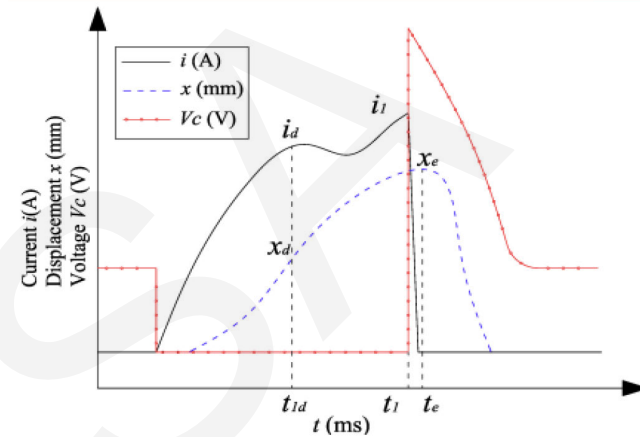


Fig.8 Variation in the current passing through the coil wire in a sleeve pump

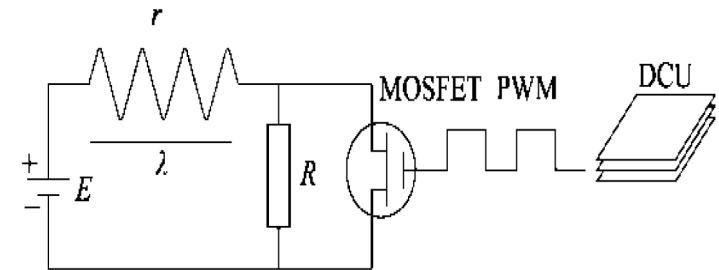


Fig.10 A typical electrical circuit for driving the sleeve pump

# Governing equations

Based on the physical and electrical models, we have:

Energy balance equation: 
$$\int_0^{t_1} (ei - ri^2) dt = \int_0^{x_e} D \left( \frac{dx}{dt} \right) dx + \int_0^{x_e} K(x + x_0) dx + \int_{x_d}^{x_e} f_p dx + w_{fld} \quad (1)$$

$$\frac{d\lambda}{dt} = e - ir \quad (t < t_1) \quad (2)$$

Electric equations:

$$\frac{d\lambda}{dt} = e - iR \quad (t > t_1) \quad (3)$$

Energy balance equation in dimensionless form:

$$\int_0^{T_1} (EI - \bar{r}I^2) d\tau = \int_0^{X_e} \bar{D} \left( \frac{dX}{d\tau} \right) dX + \int_0^{X_e} \bar{K}(X + X_0) dX + \int_1^{X_e} F_p dX + W_{fld} \quad (4)$$

$$\frac{d\Lambda}{d\tau} = E - I\bar{r} \quad (\tau < T_1) \quad (5)$$

Electric equations in dimensionless forms:

$$\frac{d\Lambda}{d\tau} = E - I\bar{R} \quad (\tau > T_1) \quad (6)$$

# Whole-state model of liquid discharge (T3 metering theory)

- Whole-state model of liquid discharge

$$Q^2 + \alpha Q = \beta I_1 T3 \quad (24)$$

Where

$$\alpha = \frac{6A_p \Pi P_0}{\Omega \eta(Q)} \quad (25)$$

Independent from state

$$\beta = \frac{6A_p C \Pi^2}{\Omega \eta(Q)^2} \quad (26)$$

$$T3 = T_3 - T_{3b} \quad (27)$$

Effects from state

$$T_{3b} = [(I_1 \Lambda_d - \int_0^{\Lambda_1} Id\Lambda) + W_{fld} + \int_0^{X_e} \bar{D}(\frac{dX}{d\tau})dX + \bar{K}X_e(\frac{X_e}{2} + X_0)] / (CI_1) \quad (28)$$

# Experimental verification of T3

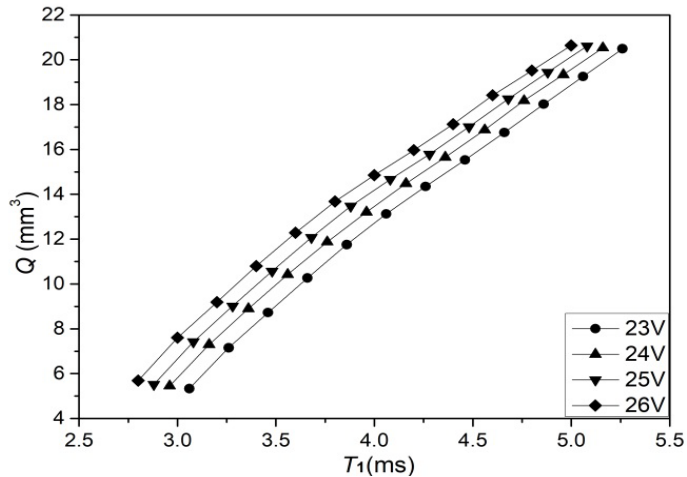


Fig.11 Mass discharge variation caused by changes in the power level

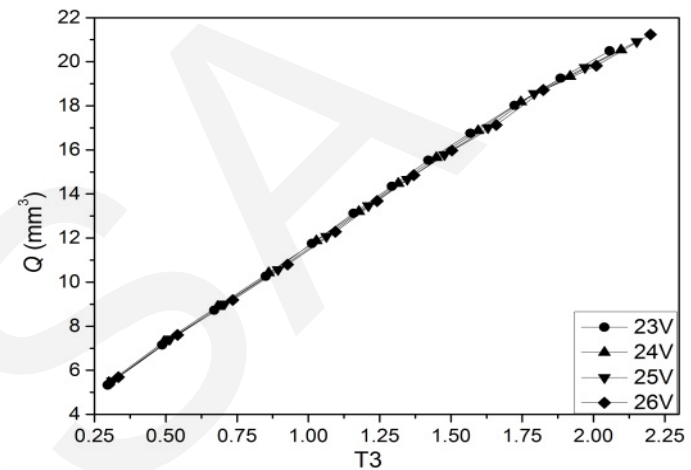


Fig.12 Mass discharge against T3 at different power levels

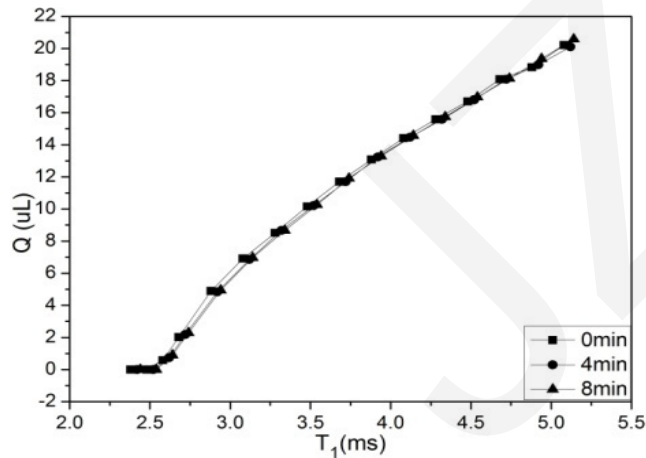


Fig. 13 Mass discharge variation caused by changing temperature

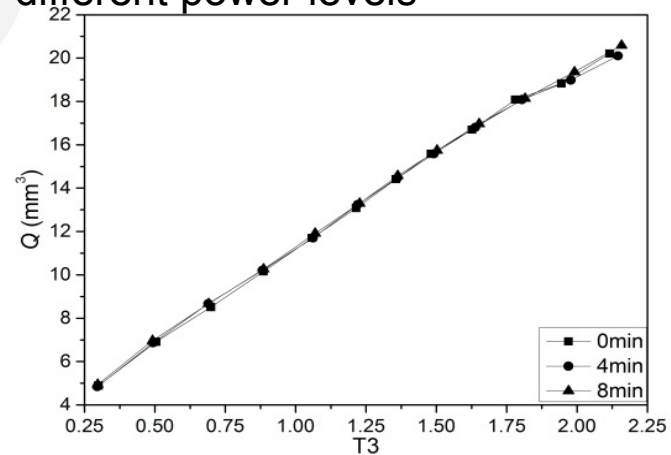


Fig. 14 Mass discharge results using T3 for different temperatures

# Application to SCR dosing systems and typical failure modes

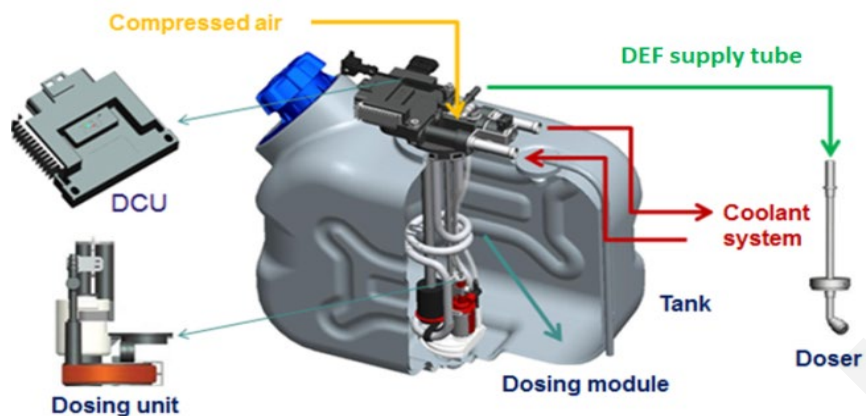


Fig. 15 Application of a sleeve pump type dosing unit to an air-assisted DEF dosing system

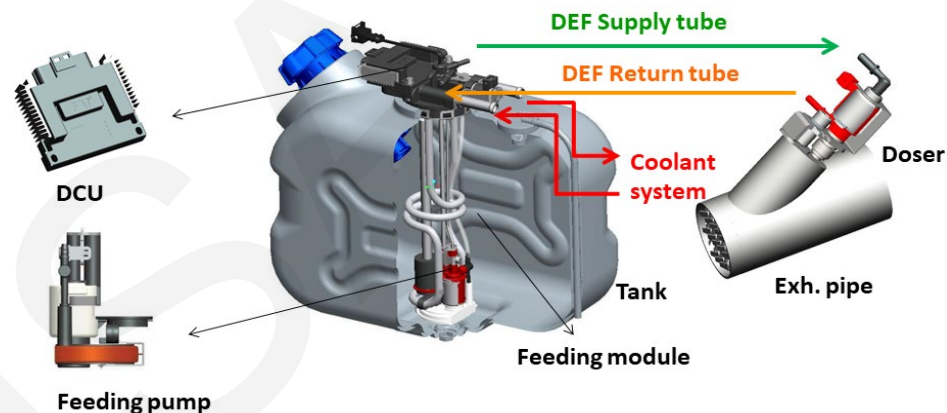


Fig. 16 Application of a sleeve pump type dosing unit to an airless DEF dosing system

Table 1 Specific failure modes of air-assisted and airless dosing systems

Item	Type	Performance	Type of dosing system		Traditional detection methods
			Air-assisted	Airless	
A	Electrical failures	Short circuit or break in line, coil or connector	Yes	Yes	By electrical circuit signal test with DCU
B	DEF tube or nozzle blockage	High pressure in the tube or nozzle	Yes	Yes	By pressure sensor
C	Short of compressed air	Low air pressure	Yes	No	By pressure sensor
D	Mechanical failures	Sleeve stuck, lack of liquid in chamber A	Yes	Yes	Emission deterioration test

# Parameter $T_3$ can be flexibly used for typical failure mode detection.

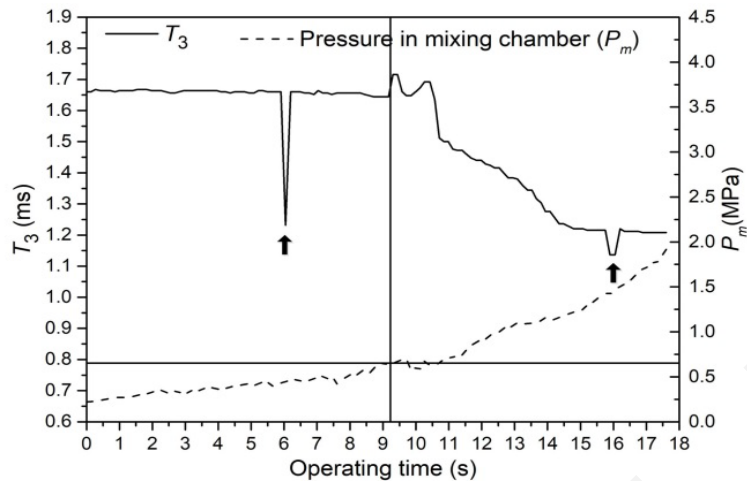


Fig.17  $T_3$  data record when a nozzle is clogging

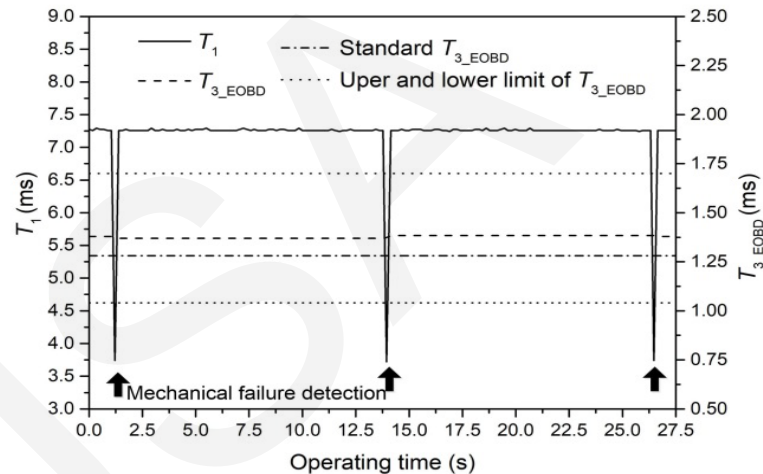


Fig.18  $T_{3\_EOBD}$  test for mechanical failure detection

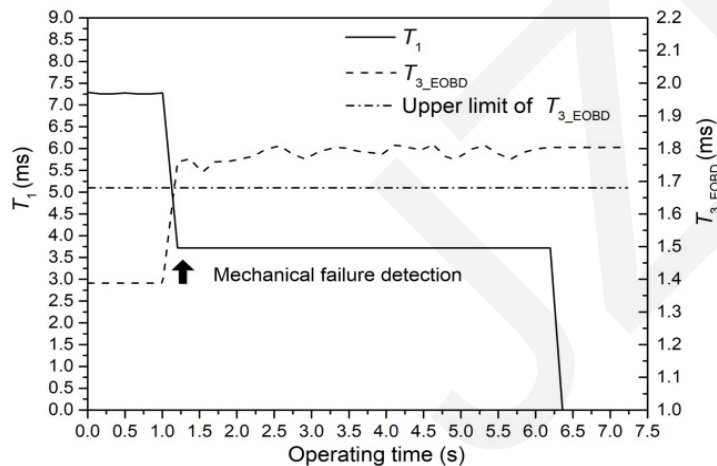


Fig.19 Mechanical failure caused by lack of liquid

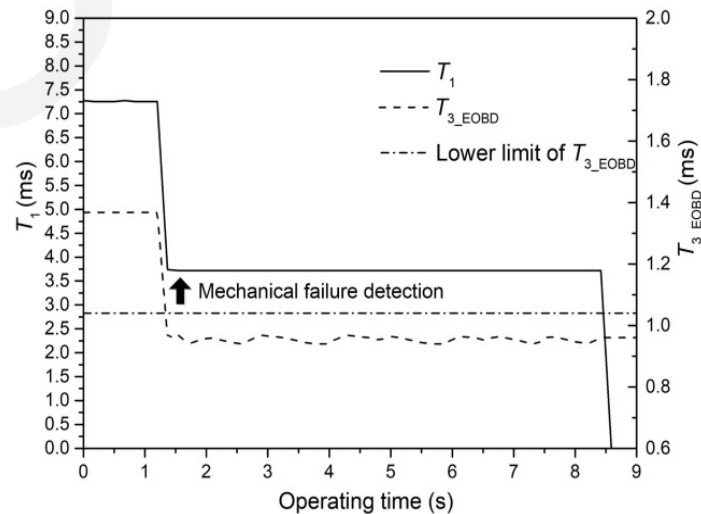


Fig.20 Mechanical failure caused by a stuck plunger